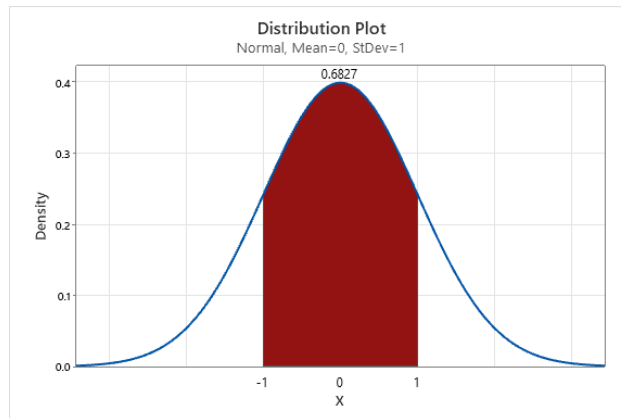


## Extra exercise 7

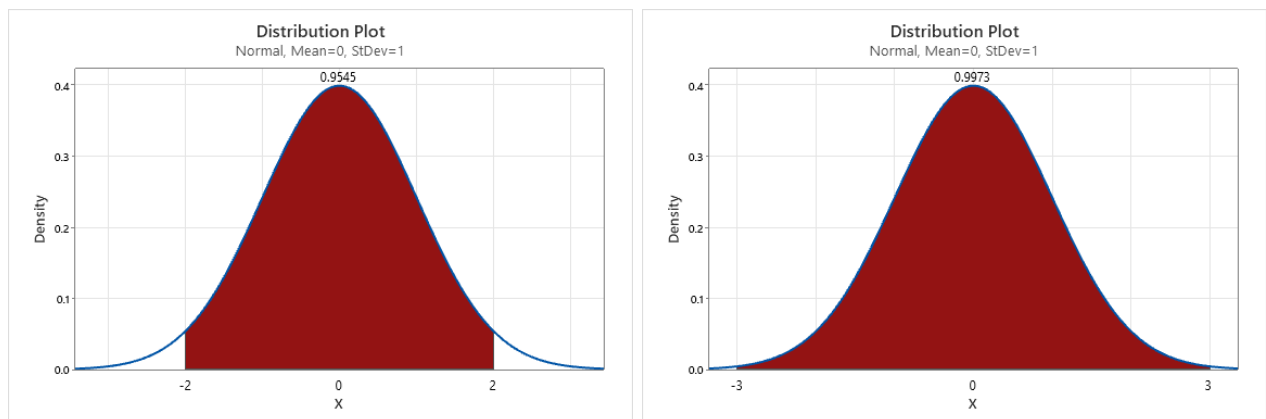
### Part (a)

The figure below shows the area within  $\pm$  one standard deviation of the mean in the standard normal distribution  $N(0, 1)$ , that is, between  $-1$  and  $1$ . The computed probability is  $0.6827$ , up to round-off error matching the 68% of the 68-95-99.7 rule. The figure was obtained by selecting “Middle” area and entering the two endpoints after the shaded area was defined by “X Value”.



### Part (b)

We repeat the process for the intervals  $(-2, 2)$  and  $(-3, 3)$ . Also here the 68-95-99.7 rule provides reasonable approximations to the exact values:  $0.9545$  and  $0.9973$ , respectively.



### Part (c)

Human pregnancies follow  $N(266, 16)$ . You may either change the mean and standard deviation in the Minitab menu accordingly and base your answers on its values, or apply the 68-95-99.7 rule directly without using software. Here the answers are shown for the latter approach.

- i) 99.7% of human pregnancies lie within:  $266 \pm 3 \cdot 16 = (218, 314)$ .
- ii) Pregnancies longer than 282 days (mean + 1 standard deviation) occur with probability  $(100\% - 68\%) / 2 = 16\%$ . This is half of the area under the curve (probability) outside the mean  $\pm 1$  standard deviation — which is  $(100\% - 68\%) = 32\%$ .